Anastashia Pelletier MATH 494 Assignment 4

1.

Part A:

```
R Code:
```

```
library(readr)
library(tidyverse)
library(ggpubr)

#Part L.A: Importing File and Creating a Subset with Needed
Variables
Teams <- read_csv("MATH 494/Teams.csv")

teamW <- select(Teams.c(yearID.teamID.W.L.R.RA))</pre>
```

Part B:

```
#Part 1.B: Calculate Winning Percentage
winF <- function(df){
    wPer <- with(df \( \text{\W}/(\text{\W}+L)) \*\100)
    df <- cbind(df \( \text{\W}Per) \)
}
team\text{\W} <- winF(team\text{\W})</pre>
```

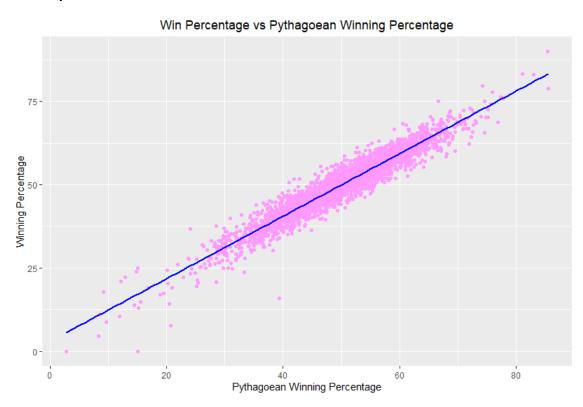
Part C:

R Code:

```
#Part 1.C: Calculate Pythagorean Winning Percentage
winPythF <- function(dfin){
    wPythD <- with(dfin(RAn)+(RAAn))
    wPythN <- with(dfin RAn)
    wPyth <- (wPythN/wPythD)*100
    df <- cbind(dfin wPyth)
}
##Function will be used for another part of the assignment
teamW <- winPythF(teamWin 2)</pre>
```

Part D:

Scatterplot:



R Code:

Part E:

Linear Model:

$$y = 2.998 + 0.939x$$

 $R = 0.955$
 R -Squared = 0.912

Part A:

To show that the Wins to Losses is approximately close to the square of Runs to Runs Allowed, we can use what we have learned from part 1, which is:

Winning Percent \approx Pythagorean Winning Percentage

$$\frac{Wins}{Wins + Losses} \approx \frac{Runs^2}{Runs^2 + Runs \ Allowed^2}$$
.

If we treat the approximation as we would an equal, then we can cross multiple both sides to get:

$$Wins(Runs^2 + Runs \ Allowed^2) \approx Runs^2(Wins + Losses)$$
 $Wins(Runs^2) + Wins(Runs \ Allowed^2) \approx Wins(Runs^2) + Losses(Runs^2)$
 $Wins(Runs \ Allowed^2) \approx Losses(Runs^2)$.

Once more, we can divide each side by Runs Allowed ² and Losses to get:

$$\frac{Wins}{Losses} \approx \frac{Runs^2}{Runs \ Allowed^2} = \left(\frac{Runs}{Runs \ Allowed}\right)^2$$
.

Part B:

If we use the equation from part a, but replace 2 with P, we will have:

$$\frac{Wins}{Losses} \approx \left(\frac{Runs}{Runs\ Allowed}\right)^p$$
.

Again, let's treat the approximation as we would an equal and log both sides:

$$\log \frac{Wins}{Losses} \approx \log \left(\frac{Runs}{Runs\ Allowed}\right)^p$$
.

Using logarithmic property for exponentials, we can simplify the approximation to:

$$\log \frac{Wins}{Losses} \approx P \log \frac{Runs}{Runs \ Allowed}.$$

Since we do not want this to just be an approximation, we can add in an Error Term (ϵ) to make an equation.

$$\log \frac{Wins}{Losses} = P \log \frac{Runs}{Runs \ Allowed} + \epsilon \ .$$

Part C:

R Code:

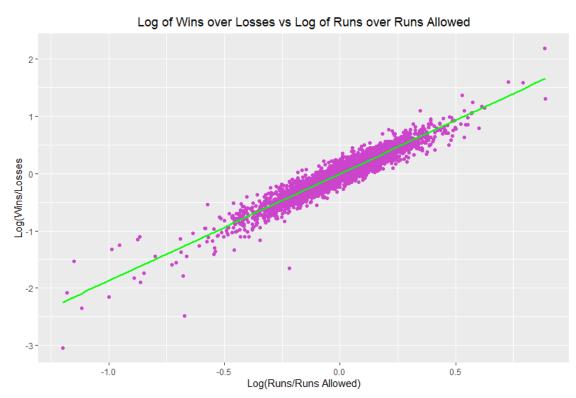
```
#Part 2.C: Calculating the Logs of Win/Losses and R/RA
lteamW <- filter(teamWn W > 0)

winLogF <- function(df){
    lWL <- with(dfn log(W/L))
    lRRA <- with(dfn log(R/RA))
    df <- cbind(dfn lWLn lRRA)
}

lteamW <- winLogF(lteamW)</pre>
```

Part D:

Scatterplot:



R Code:

Part E:

Linear Model:

$$y = -0.003 + 1.873x$$

 $R = 0.952$
R-Squared = 0.906

3.

Part A and B:

R Code:

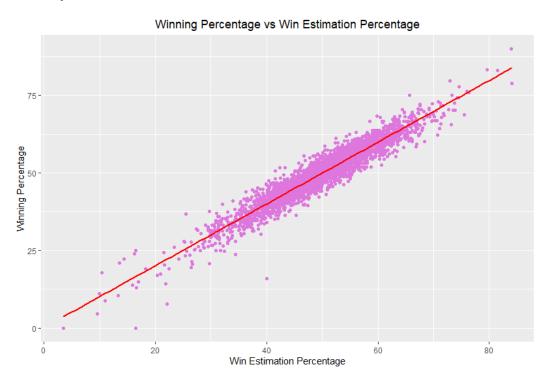
```
#Part 3.A and 3.B: Calculate the Razakean Winning Percentage
## NOTE: Since I used a subset to calculate Pr and P is a
static variable. I am going to apply it to a copy of the first
subset

copyTW <- select(teamWr c(yearIDr teamIDr Wr Lr Rr RAr wPer))

##Using the previous function with the new variable
copyTW <- winPythF(copyTWr P)</pre>
```

Part C:

Scatterplot:



R Code:

Part D:

Linear Model:

Question:

Like the linear model from part 1, the slope is extremely close to 1. However, unlike the intercept from part 1, the intercept is very close to 0. Since the intercept is closer to 0, this model is closer to y = x.